

HRVATSKA NARODNA BANKA EUROSUSTAV

31st DUBROVNIK ECONOMIC CONFERENCE

June 6 – 9, 2025, Dubrovnik, Croatia

Viral Acharya, Sebastian Hillenbrand and Venky

Venkateswaran

Pandemic-era Inflation and Interest

Rate Uncertainty in the US

Draft version Please do not quote

Pandemic-era Inflation and Interest Rate Uncertainty in the US

Viral Acharya Sebastian Hillenbrand Venky Venkateswaran NYU Stern HBS NYU Stern

June 2025

Table of Contents

- Introduction
- Data: What do asset prices show?
- Model: What do these patterns say about policy?

Introduction

The post-Covid Recovery in the US

- Inflation surged to levels not seen for decades
- Delayed but sharp Fed response: rate hikes, quantitative tightening
- Rates remains high (and expected to be volatile)

What were the driving forces?

- Large shocks: supply (lockdowns, war) and demand (pent-up spending, fiscal stimulus) ?
- Loss of credibility: perceived dovish bias (New framework? "Team Transitory")?
- Changes in the natural rate (r^*) ?

This paper: Evidence from financial markets + model-based inference

What we find

Empirical:

- Expected inflation rose sharply in 2021-22, but has since moderated significantly
- Interest rates rose with the hiking cycle and remain elevated
- Inflation uncertainty (σ_{π}) rose in 2021-22 and subsequently fell
- Interest rate uncertainty (σ_i) initially subdued, but rose sharply with the hiking cycle
- \Rightarrow *Relative* uncertainty (σ_i/σ_π) low in 2020-21, but spiked in 2022-23

Model:

- A stylized DSGE environment with learning about policy type
- \Rightarrow Loss of credibility \rightarrow low relative uncertainty (σ_i/σ_π)

 \Rightarrow More volatile shocks \rightarrow both σ_i and σ_{π} \uparrow but relative uncertainty unaffected Findings:

- Markets priced in a dovish Fed in 2020-2021, with a sharp reversal in 2022-23
- Shock volatility remains elevated

Related Literature

Determinants of post-Covid Inflation

 Ball, Leigh and Mishra (2022); Bernanke and Blanchard (2023); Giannone and Primiceri (2023); Gagliardone and Gertler (2024); di Giovanni, Kalemli-Özcan, Silva, Yildirim, and Yildirim (2023)....

This paper: Market-based evidence, Volatility vs credibility...

Expectations data to measure perceptions of Fed responsiveness

• Bauer, Pflueger and Sunderam (2024); Bocola, Dovis, Jorgensen and Kirpalani (2024) ...

This paper: Uncertainty, role of shock volatility ...

Options-implied uncertainty measures

• Mertens and Williams (2021); Fleckenstein, Longstaff, and Lustig (2017); Wright (2017); Bahaj, Czech, Ding, and Reis (2023); Hilscher, Raviv, and Reis (2022)...

This paper: Structural interpretation, application to Covid...

Data: What do asset prices show?

Data Description

Expectations: Interest rate swaps, inflation swaps

• Forwards at 2y, 3y, 5y horizons

Rate uncertainty: Implied volatility from options on Treasury ETFs and TIPS ETFs

- Expiry: 6m, 1y, 2y
- Duration of underlying bonds: 7 (approx.)

Inflation uncertainty: requires a correlation between real and nominal rates

- Baseline assumption: rolling 3 month correlation
- Robustness: fixed correlation, comparison to other measures

Data: Inflation and Rate Expectations



- Inflation expectations rose and fell, roughly tracking realized inflation
- Forward nominal rates started rising later and remain high

Data: Inflation and Rate Uncertainty



- Inflation uncertainty rose with the recovery and fell with the hiking cycle
- Interest rate uncertainty rose with a lag and remained high

Data: *Relative* Uncertainty, $\frac{\sigma(i)}{\sigma(\pi)}$



• Rel uncertainty low for most of 2020-21, but rose sharply in 2022-23

Model: What do these patterns say about Fed credibility?

Model: Overview

A stylized DSGE framework with learning

Key ingredients

- Current inflation depends on expected inflation, policy and an exogenous shock
- Policy follows a rule but type (responsiveness to inflation) unknown to agents
- Agents update beliefs by observing policy actions
- Exogenous process for the natural rate, r^{\ast}

Solution yields

- Expected interest rates and inflation at different horizons
- Standard deviations of rates and inflation at different horizons

Model: Equations

Natural real rate: sum of a random walk and a mean-reverting component

$$\begin{aligned} r_t^* &\equiv \hat{r}_t^* + \tilde{r}_t^* & \text{where} \\ \hat{r}_t^* &= \hat{r}_{t-1}^* + \hat{e}_t & \hat{e}_t \sim \mathcal{N}(0, \hat{\sigma}_e) \\ \tilde{r}_t^* &= \tilde{\rho} \tilde{r}_{t-1}^* + \tilde{e}_t & \tilde{e}_t \sim \mathcal{N}(0, \tilde{\sigma}_e) \end{aligned}$$

Inflation and nominal rates (in deviations from their natural levels):

$$\pi_t \equiv \hat{\pi}_t - \pi_t^*$$
$$i_t \equiv \hat{i}_t - r_t^* - \pi^*$$

Deviations evolve according to

$$\pi_t = \beta \mathbb{E}_t \pi_{t+1} - \kappa i_t + v_t$$

$$i_t = \Phi_t \mathbb{E}_t \pi_{t+1}$$

$$v_t = \rho v_{t-1} + u_t \qquad u_t \sim \mathcal{N}(0, \sigma_u^2)$$

where Φ_t : policy response coefficient. v_t : (exogenous) shock process

Model: Learning

Policy-maker can be of 2 types $j \in \{h, l\}$ and acts according to

$$\Phi_t = \Phi_j$$
 with prob $1 - \epsilon$
 $= \Phi_{-j}$ with prob ϵ

where $\Phi_h > \Phi_l$ and ϵ denotes noise (policy error).

Agents do not observe types, update beliefs $p_t \equiv \operatorname{Prob}_t(\operatorname{type} = h)$ according to

$$p_t | (\Phi_t = \Phi_h) = \frac{p_{t-1}(1-\epsilon)}{p_{t-1}(1-\epsilon) + (1-p_{t-1})\epsilon}$$
$$p_t | (\Phi_t = \Phi_l) = \frac{p_{t-1}\epsilon}{p_{t-1}\epsilon + (1-p_{t-1})(1-\epsilon)}$$

Solution

Model: Connection to the New Keynesian Model

Key simplification: abstract from production/output gap

- Interest rates directly reduce inflation $\pi_t = \beta \mathbb{E}_t \pi_{t+1} \kappa i_t + v_t$
- A single composite exogenous shock v_t (supply vs demand distinction less relevant)
- Policy sets rates based only on (expected) inflation $\mathbb{E}_t \pi_{t+1}$

Why?

• Lack of market-based measures for expected output gap (first or second moments)

 \Rightarrow Model estimates should be interpreted as composites

• E.g. policy dovishness could reflect larger role for supply shocks

Model-to-Data: Strategy

- Quarterly model
 - Treat data for each month as observations from independent economies
 - In progress: a regime-switching model
- Pre-assigned parameters, assumed constant over time (later: robustness)

-
$$\beta = 0.99, \kappa = 1, \Phi_h = 1.5, \Phi_l = 0.5$$

-
$$\tilde{\rho}=0.85~~\hat{\sigma}_e^2=\tilde{\sigma}_e^2=0$$

- Random walk component \hat{r}_t^* : observed 5y5y fwd rate (real)
- Choose following to match expectations and uncertainty of i and π across horizons
 - v_t : Current shock
 - $p_t \in [0,1]$: Current belief that policy is of type h
 - $\epsilon \in [0,1]$: Likelihood of policy error, Prob(type-h chooses Φ_l or vice-versa)
 - $ho \in [0,1]$: Persistence of the shock
 - σ_u : Variance of the innovations to v
 - $\tilde{r}_t^*:$ Current mean-reverting component of the natural rate

Model: Fit



Note: Graphs show (6-month moving averages of) data moments and those implied by the model at estimated parameters .

Model: Estimates



Note: Graphs show (6-month moving averages of) estimated parameters.

Model: Beliefs



2021: Market participants perceived

- 1. A policy rule that was less responsive to inflation (Loss of credibility?)
- 2. Larger, but less persistent shocks, relative to pre-Covid levels (Team transitory?)

2022-23: Credibility recovers but shock variance remains high

Note: Graphs show (6-month moving averages of) estimated parameters.

Model: Decomposing Uncertainty

Main idea: attribute changes in uncertainty to variation in

- Volatility: shock persistence or variance, $(
 ho, \sigma_u)$
- Credibility: beliefs, (p_t)
- Policy variability: policy error, (ϵ)

Strategy: compute counterfactual uncertainty changing parameters one at a time

- Differences between these series isolate the role of each force
- Decompose change from a reference level: $\Phi_{t+s} = \Phi_h$ (ρ, σ_u) at pre-Covid levels

Model: Decomposing Uncertainty

For each month t and $x\in\{\pi,i\},$ compute variances under different assumptions

All parameters at estimated values $\rightarrow \sigma_t^2(x_{t+s})$ $\Pr(\Phi_{t+s} = \Phi_h) = \Pr(\Phi_t = \Phi_h) \forall s, (v_t, \rho, \sigma_u, r_t^*) \text{ at estim. values } \rightarrow \sigma_{t,III}^2(x_{t+s})$ $\Phi_{t+s} = \bar{\Phi}(p_t, \epsilon) \forall s, (v_t, \rho, \sigma_u, r_t^*) \text{ at estimated values } \rightarrow \sigma_{t,II}^2(x_{t+s})$ $\Phi_{t+s} = \Phi_h \forall s, (v_t, \rho, \sigma_u, r_t^*) \text{ at estimated values } \rightarrow \sigma_{t,I}^2(x_{t+s})$ $\Phi_{t+s} = \Phi_h \forall s (\rho, \sigma_u) \text{ at reference values, } (v_t, r_t^*) \text{ at estim. values } \rightarrow \sigma_{t,0}^2(x_{t+s})$

The overall change (w.r.t. the reference case)

Total
$$\equiv \log \sigma_t^2(x_{t+s}) - \log \sigma_{t,0}^2(x_{t+s})$$

and the contributions of the various forces are:

Model: Decomposing Changes in Uncertainty



- Low credibility, i.e. low p_t (yellow) \Rightarrow higher σ_{π} and (slightly) lower σ_i
- High volatility (high ρ and/or σ_u) \Rightarrow higher σ_{π} and σ_i

Note: Graphs show change in model-implied variance of forward rates (inflation and interest rates) relative to the reference case. Reference values for (ρ , σ_u) are averages for 2019.

Model: Decomposing Changes in Uncertainty

Goal: show decomposition of the relative volatility of forward interest rates and inflation

- Focus on $Var(i_{t+s})$ and $Var(\pi_{t+s})$ for s = 4, 8 quarters forward
- Results broadly similar for other horizons/maturities

Strategy:

- Use estimated model parameters to compute the contributions of volatility and credibility
- Reference case: $(
 ho, \sigma_u)$ set to averages for 2019 and $\Phi_{t+s} = \Phi_h \ \forall s$

Object of interest: Contribution to $Var(i_{t+s})$ less contribution to $Var(\pi_{t+s})$

Model: Decomposing Relative Uncertainty



- Low relative uncertainty in 2021 almost entirely due to loss of credibility
- Lower shock persistence also contributed though only marginally

Note: Graphs show change in model-implied relative uncertainty relative to the reference case. Reference values for (ρ, σ_u) are averages for 2019.

Robustness

- Policy coefficients: $(\Phi_h, \Phi_l) = (1.50, 0.05)$ (baseline: $(\Phi_h, \Phi_l) = (1.5, 0.5)$)
- Elasticity of inflation to policy: $\kappa=0.75$ (baseline: $\kappa=1$)
- Target 2y ETF options (baseline: 1y)

Robustness: $(\Phi_h, \Phi_l) = (1.5, 0.05)$



- Low relative uncertainty in 2021 almost entirely due to loss of credibility
- Lower shock persistence also contributed though only marginally

Note: Graphs show change in model-implied relative uncertainty of forward rates relative to the reference case. Reference values for (ρ, σ_u) are averages for 2019.

Robustness: $\kappa = 0.75$



- Low relative uncertainty in 2021 almost entirely due to loss of credibility
- Lower shock persistence also contributed though only marginally

Note: Graphs show change in model-implied relative uncertainty relative to the reference case. Reference values for (ρ, σ_u) are averages for 2019.

Robustness: Target 2y ETF Options



- Low relative uncertainty in 2021 almost entirely due to loss of credibility
- Lower shock persistence also contributed though only marginally

Note: Graphs show change in model-implied relative uncertainty relative to the reference case. Reference values for (ρ, σ_u) are averages for 2019.

Model: Solution

Conjecture that the solution takes the (recursive) form

$$\pi(v, p, \Phi_j) = (a_j p + b_j)v$$

$$i(v, p, \Phi_j) = \Phi_j \mathbb{E}\pi(v', p', \Phi'_j) = \Phi_j \rho v \mathbb{E}(a_{j'} p' + b_{j'}|p)$$

To solve for (a_j, b_j) , substitute conjecture into the equation for π

$$\pi(v, p, \Phi_j) = (\beta - \kappa \Phi_j) \rho v \mathbb{E}(a_{j'} p' + b_{j'} | p)$$

Evaluating the expectation and matching coefficients,

$$\begin{split} a_{j} &= \frac{\rho \left(\beta - \kappa \Phi_{j}\right)}{1 - \rho \left(\beta - \kappa \tilde{\Phi}_{h}\right)} \frac{\rho \left(\kappa \Phi_{h} - \kappa \Phi_{l}\right)}{1 - \rho \left(\beta - \kappa \tilde{\Phi}_{l}\right)} \left(2\epsilon - 1\right) \\ b_{j} &= \frac{\rho \left(\kappa \tilde{\Phi}_{l} - \kappa \Phi_{j}\right) + 1}{1 - \rho \left(\beta - \kappa \tilde{\Phi}_{l}\right)} \quad \text{where} \\ \tilde{\Phi}_{h} &= (1 - \epsilon)\Phi_{h} + \epsilon \Phi_{l} \qquad \tilde{\Phi}_{l} = (1 - \epsilon)\Phi_{l} + \epsilon \Phi_{h} \end{split}$$

Numerical Algorithm

For each t and a given $(v_t, p_t, \epsilon, \rho, \sigma_u, \tilde{r}_t^*)$, simulate a large number of paths

Compute

- Average $\mathbb{E}(i_{t+s}), \mathbb{E}(\pi_{t+s})$ for s = 8, 12, 20 (quarters)
- Std (i_{t+s}^{ETF}) , Std (π_{t+s}^{ETF}) for s = 2, 4 (quarters)
- Sum of squared deviations from data moments

Search over $(v_t, p_t, \epsilon, \rho, \sigma_u, \tilde{r}_t^*)$ to minimize sum of squared deviations

• Non-linear optimizer: Particle swarm (initial swarm size = 500)

Back